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SOME OBSERVATIONS ON OSCILLATIONS IN NEURAL-TYPE NETWORKS

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Abstract

This work shows the possibility of oscillations in Neural-Type Networks.

Previously, it has been shown [3], that neural networks with the topology of the Cerebellum exhibit asymptotic stability if all neurons have nonnegative thresholds; thus no oscillations can be observed. Here we show that if negative thresholds are allowed then oscillations may occur for a topology similar to that of the Hippocampus.

In the following we give a brief description of the Hippocampus, present the mathematical description of a network topologically similar to it and finally present simulation results for such a network.

Physiological data have been compiled from [1], [4] and [5].

The Hippocampus, in the higher vertebrates, is located in a ventral position within the cerebral hemispheres. It has been studied for its role in memory and learning, and for the role it plays in certain seizures due to its exhibited rhythmic activity (6-waves).

The principal neuron in the Hippocampus is the Pyramidal cell and the inhibitory interneuron is the basket cell.

The axons of the Pyramidal cells send collaterals to neighboring pyramidal cells and basket cells, while the basket cells inhibit strongly 200-500 pyramidal cells in their vincinity.

Diagramatically we can describe the Hippocampal network as in Fig. 1.

Following Dimopoulos [2], a neural network similar to that of Hippocampus is described by

$$T\hat{X} + X = W\hat{\epsilon}[X-\theta][X-\theta]$$
 (1)

where

$$W = \begin{bmatrix} W_{11} & -W_{12} \\ W_{21} & 0 \end{bmatrix}$$
 (2)

 \boldsymbol{X} is the membrane potential vector, $\boldsymbol{\theta}$ is the threshold vector given in this case as

$$\theta = [-\theta_1 - \theta_2, \dots - \theta_k, \theta_{k+1}, \dots \theta_N]^T$$
pyramidal cells basket cells

W is the network connectivity matrix, where all the submatrices $\mathbf{W}_{\underline{i}\underline{j}}$ are positive and

$$\frac{1}{2}[X] = \operatorname{diag}[\phi[x_n], a=1,..N]$$
 (4)

with
$$\varphi[x] = \begin{cases}
0 & \text{if } x \le 0 \\
1 & \text{if } x > 0
\end{cases}$$
(5)

We simulated a network represented by Eq. (1), consisting of a total of 100 neurons (50 in each class).

The results of our simulation are given in Fig. 2.

From this figure the rhythmic activity of such a network is easily established, result that agrees with the existence of the 6-waves in the Hippocampus.

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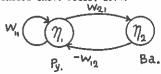


Fig. 1 Hippocampal Network T_{i_1} Class of Pyramidal Cells (Py), T_{i_2} Class of Basket cells (Ba)

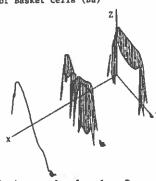
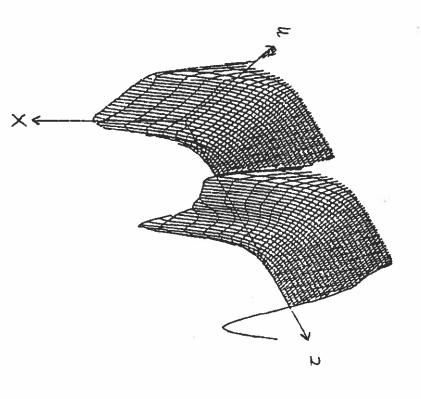


Fig. 2 Simulation results for class T_{i_1} Z Membrane potential, X Time axis, Y neurons (in arbitrary units)

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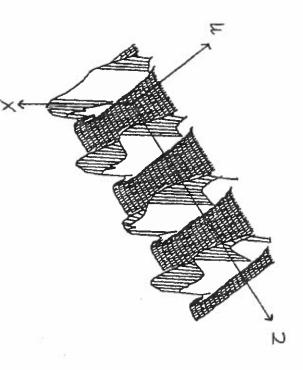
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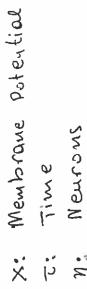
Membrane potential of neurons in class My versus time ന Figure

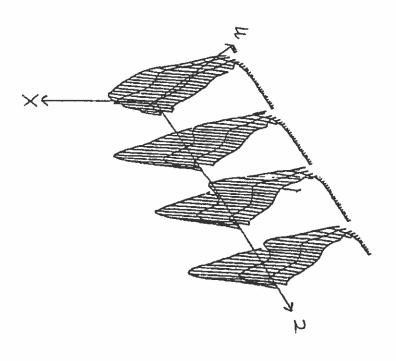
X: Membrane potential

M. Neurons



Membrane potential of neurons in class Mr. time Figure





Membrane Potential of neurous in class Ma vs. time Figure 5.